



**Institute of
Applied Physics**

Friedrich-Schiller-Universität Jena



**Abbe Center
of Photonics**

JENA

Friedrich-Schiller-Universität



BioQantSense

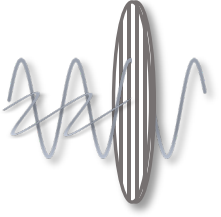


Funded by
the European Union

Quantum approaches to **polarization**-based sensing

Vira BESAGA, Dr.-Ing.

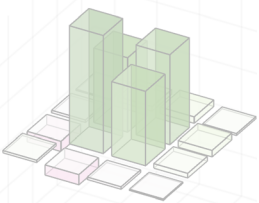
vira.besaga@uni-jena.de



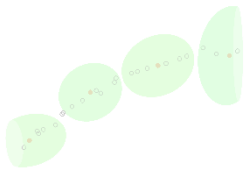
**Why sensing with
polarization?**



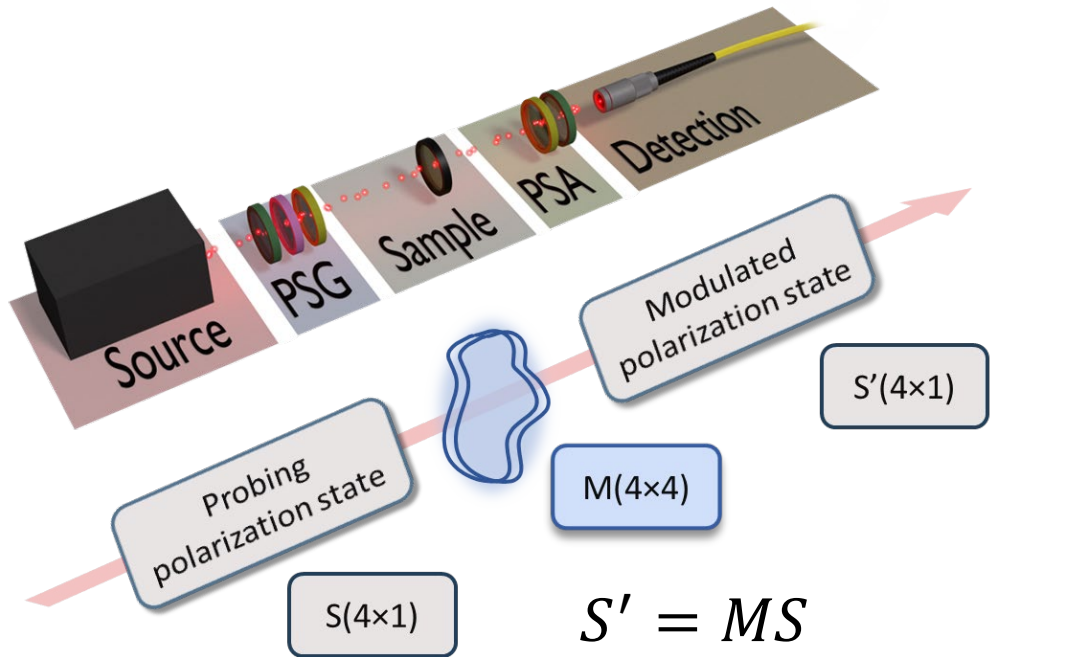
Polarization based probing
with Bell states



Showcase: scattering samples



Framework for classification with just
two measurements per sample



T - transmittance/reflectance
 LE - linear extinction
 CE - circular extinction
 LR - linear retardance
 CR - circular retardance
 D - depolarization

$$S' = MS$$

T	-LE	-LE'	CE
-LE	D	CR	-LR'
-LE'	-CR	D'	LR
CE	LR'	-LR	D _c

Polarization response → specimen's properties:

- birefringence
- polarization selectivity in reflection/transmission
- chemical composition

Applications:

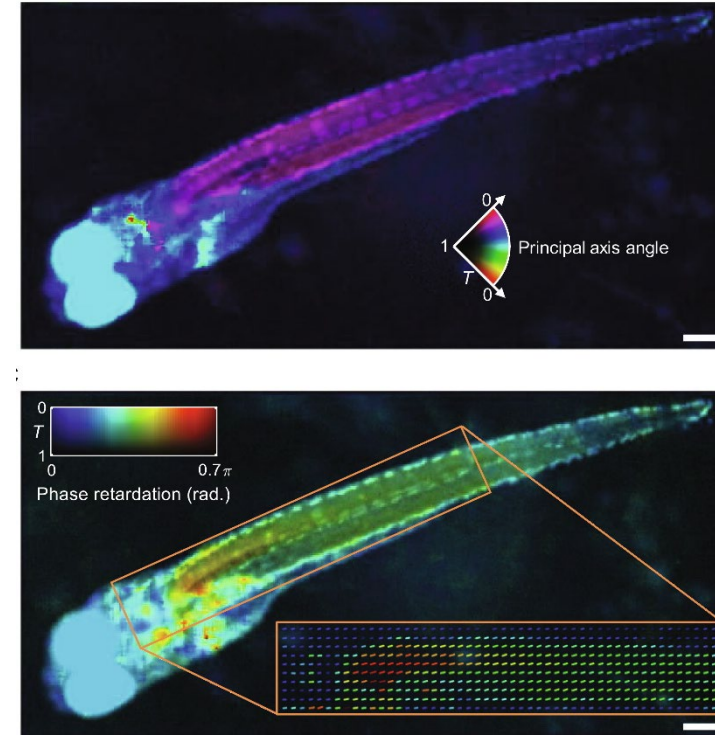
- optical biomedical diagnostics
- control of nonlinear phenomena
- technical characterization
- remote sensing
- quantum communication, computing, and metrology

→ acknowledged methods of **Stokes and Mueller polarimetry**

- Theoretical framework, incl. with entangled photons
- quantum holography via polarization-entanglement
- ghost polarimetry using classical light & with correlated photon pairs

A. Z. Goldberg, Phys. Rev. Research 2, 023038 (2020).
S. Magnitskiy, et al., Opt. Lett. 45, 3641-3644 (2020).
H. Defienne, et al., Nat. Phys. 17, 591-597 (2021).
V. Sukharenko, et al., Opt. Lett. 46, 2799-2802 (2021).
M. Kaur, et al., Sci. Rep. 11, 23636 (2021).
R. Camphausen, et al., Sci. Adv. 7, eabj2155 (2021).
S. Restuccia, et al., Phys. Rev. A 106, 062601 (2022).
S. Magnitskiy, et al., Opt. Lett. 47, 754-757 (2022).
A. Saxena, et al., Sci. Rep. 12, 21105 (2022).
A. Pedram, et al., arXiv:2304.08258 [quant-ph] (2023).
D. Agapov, D., Jexp Lett. (2024).

...



Birefringence of Zebra fish, sample scanning

[Adapted from
Y. Zhang et al.,
Sci. Adv. 10,
eadk1495
(2024)]

- Most recent: Birefringence imaging and realization of an ellipsometer

Y. Zhang et al., Sci. Adv. 10, eadk1495 (2024)

Meng-Yu Xie, arXiv:2402.17401 [quant-ph] (2024)

News from our lab: looking for practical realizations/applications



So far, integral sensing, spatial resolution by sample scanning possible

**Polarization-
based probing of
subtle samples**

**Detection of
microorganisms
in water**

**Nonlocal quantum
differentiation of
polarization
objects**

**Nonlocality-
enhanced precision
in parameter
estimation**

**Quantitative
sensing towards
diagnostics**

**Sensing with
NOON states**

**Error-
compensated
sensing**

Ongoing

So far, integral sensing, spatial resolution by sample scanning possible

**Polarization-
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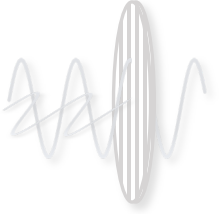
**Nonlocal quantum
differentiation of
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**Sensing with
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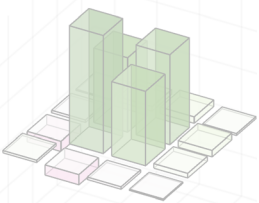
**Error-
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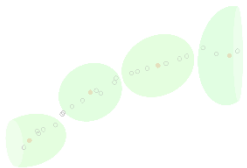
Why sensing with
polarization?



**Polarization based probing
with Bell states**



Showcase: scattering samples

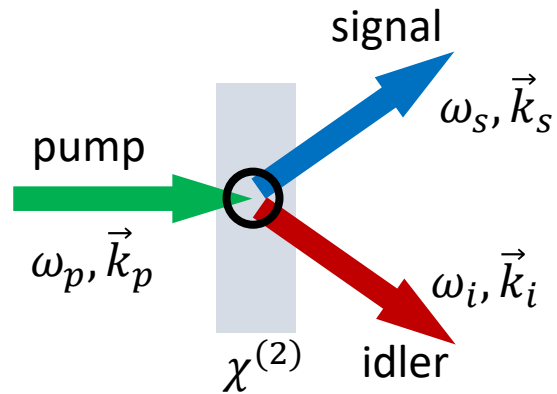


Framework for classification with just
two measurements per sample

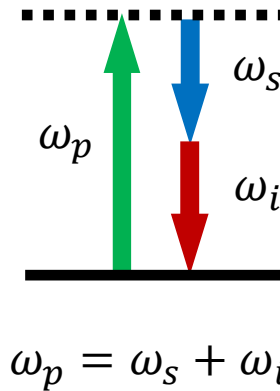
Probing state preparation: SPDC in bulk crystals



A correlated photon pair or a biphoton state

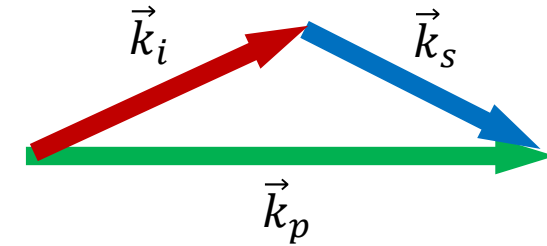


energy conservation



limits attainable combinations
of frequencies

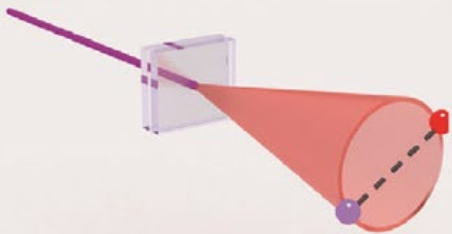
phase matching



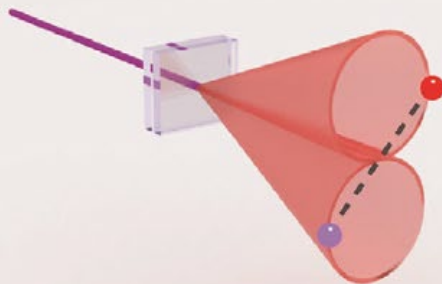
$$\vec{k}_p(\omega_p) = \vec{k}_s(\omega_s) + \vec{k}_i(\omega_i)$$

defines generated combinations and their directions
→ controlled by nonlinear structure

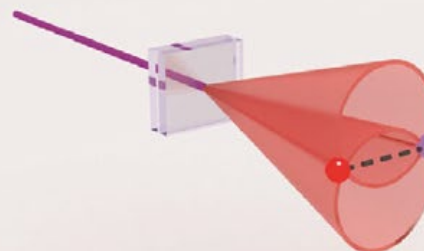
degenerate type I



collinear type II



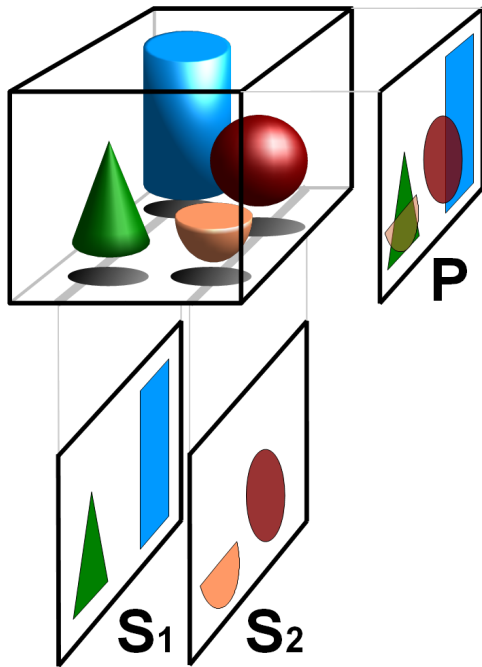
noncollinear type II



Polarization entangled photons, e.g.:

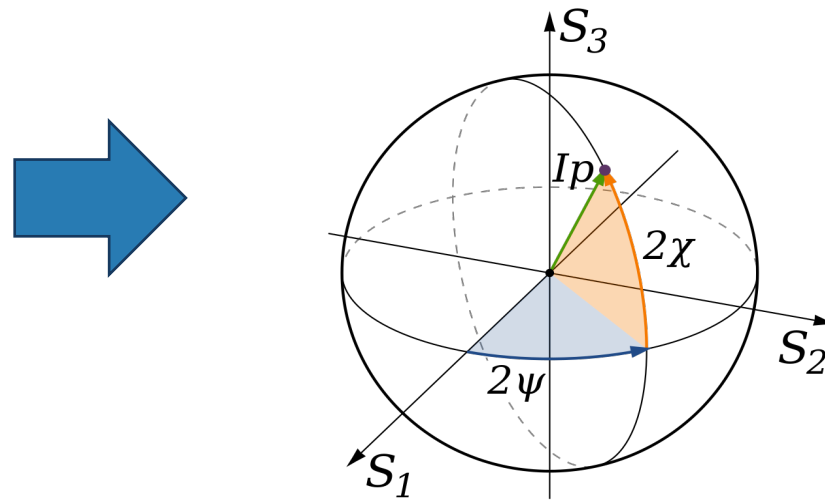
$$|\psi\rangle = \frac{1}{\sqrt{2}}(|H_S V_I\rangle + |V_S H_I\rangle)$$

Projective 2D images to
reconstruct the 3D shape

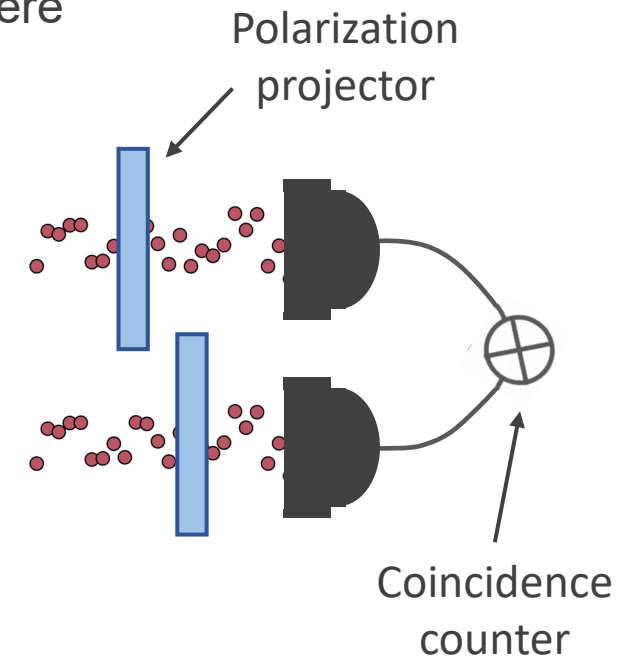


[<https://en.wikipedia.org>]

Projective measurements at multiple
bases to reconstruct the quantum state
~ Stokes parameters for Poincare sphere

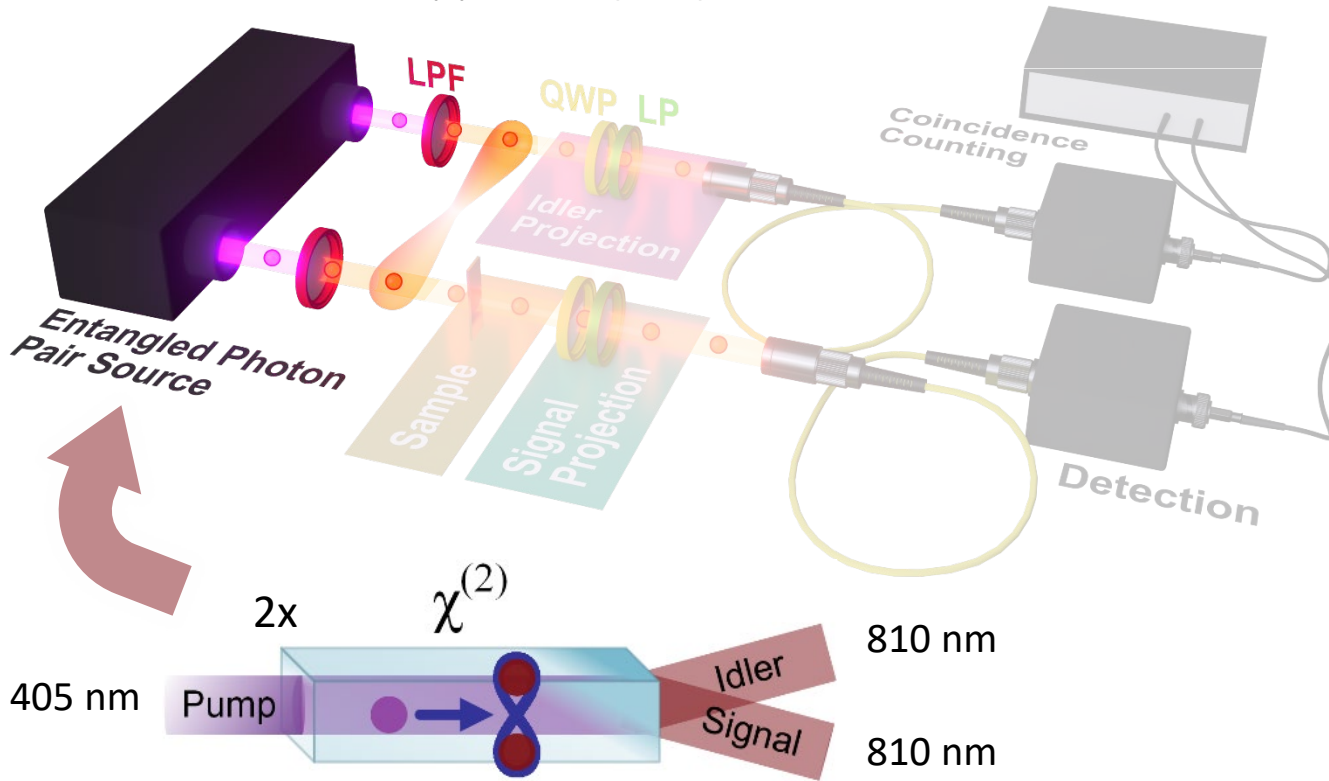


[<https://en.wikipedia.org>]



Photons detected with both detectors
simultaneously (within a small time
window for a predefined delay line
accounting for channel paths)

[VB, et al., APL Photonics 9 (4), 041301 (2024).]

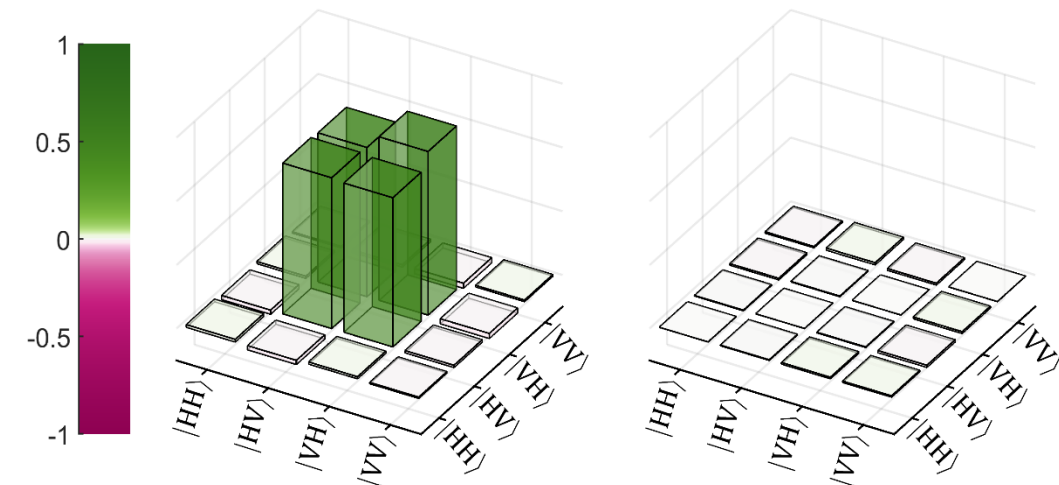


- Quantum State Tomography, incl. maximum likelihood estimation algorithm
- Entanglement in polarization (S : signal, I : idler):

$$|\psi\rangle = \frac{1}{\sqrt{2}} (|H_S V_I\rangle + |V_S H_I\rangle)$$

Fidelity 0.96; Concurrence 0.94

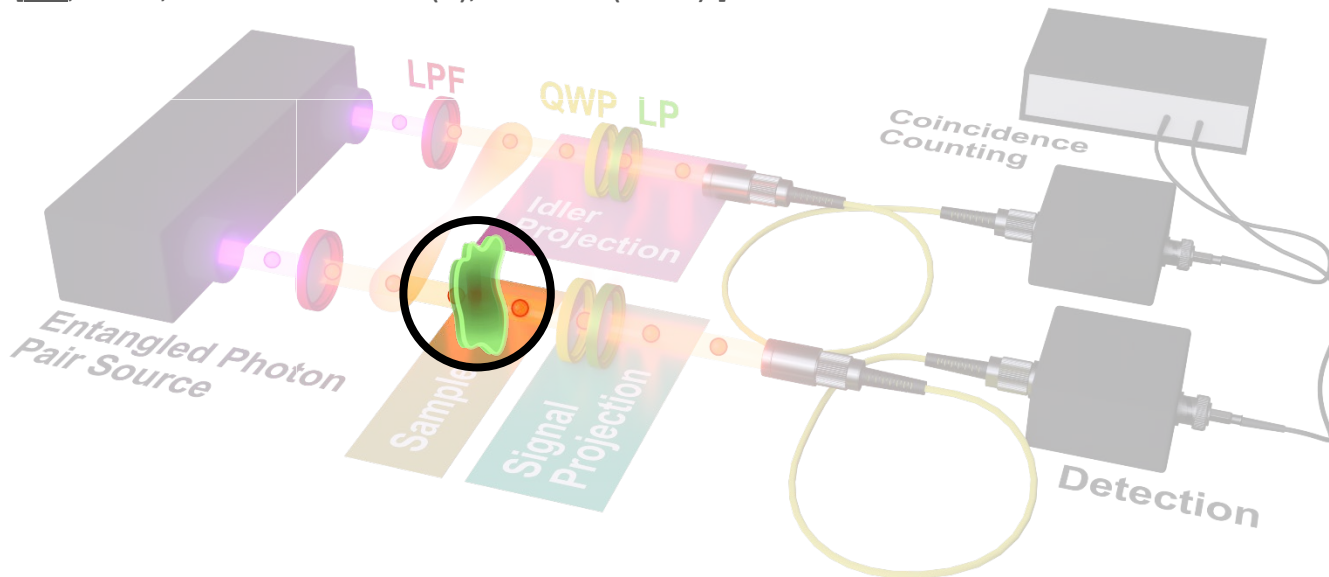
- Spontaneous parametric down-conversion (SPDC)
- 2 nonlinear crystals (ppKTP), type-II phase-matching
- Interferometer on beam displacers





Undesired state degradation → sensing instead!

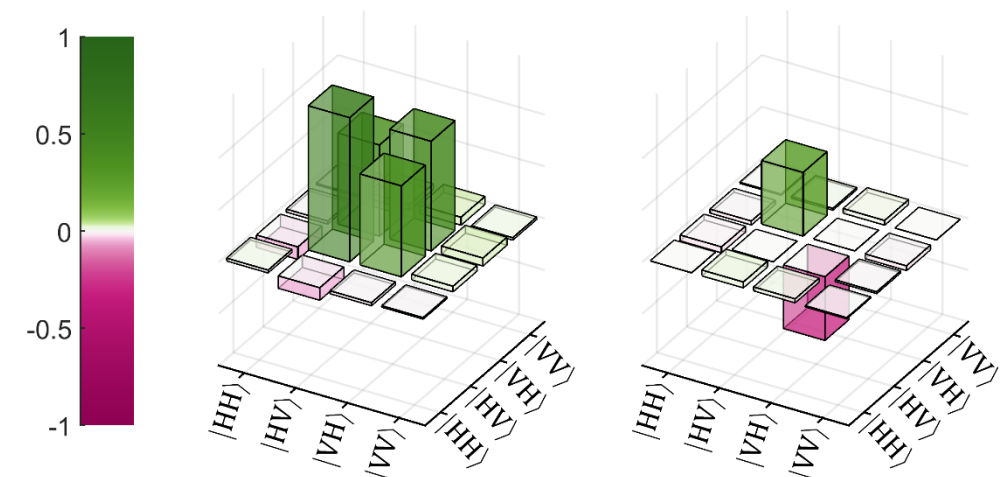
[VB, et al., APL Photonics 9 (4), 041301 (2024).]



- Apparent and not new: state changes due to complex/scattering obstacle for one of the partner photons
- So far: goal to revive or overcome entanglement loss → quantum communication

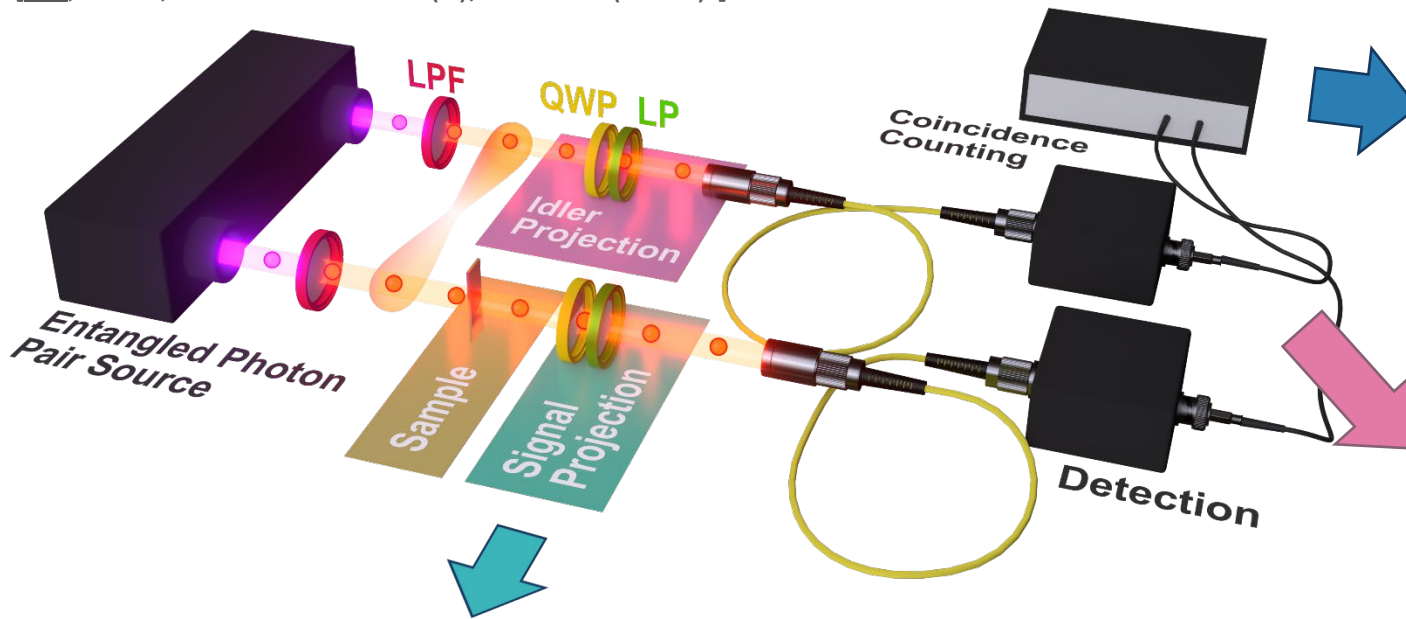
[E.g., Nat. Phys. 16, 1112–1116 (2020) and Nat. Phys. 19, 562–568 (2023).]

- Why not using this for sensing?
- Not necessarily full Mueller matrix is of interest
- Detection/discrimination as a target



Remote state preparation as the basis

[VB, et al., APL Photonics 9 (4), 041301 (2024).]



- Before being detected, signal photon undergoes polarization transformation:

$$T_s = p^s M_s$$

with sample's Mueller matrix M_s

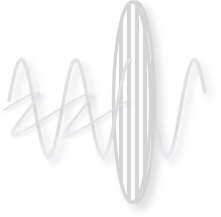
- The probability for recording a coincidence for the signal and idler pair:

$$P_n = \text{tr} \left[(p_n^i) \frac{\rho_r}{\text{tr}(\rho_r)} (p_n^i)^\dagger \right]$$

- At the moment of signal photon detection, the idler photon becomes:

$$\rho_r = \text{tr}_P \left[(T_s \otimes 1) \rho_0 (T_s \otimes 1)^\dagger \right]$$

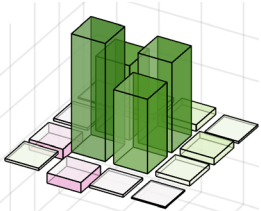
with initial probing state ρ_0



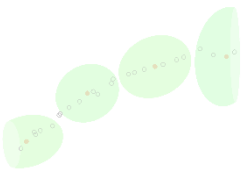
Why sensing with
polarization?



Polarization based probing
with Bell states



Showcase: scattering samples



Framework for classification with just
two measurements per sample

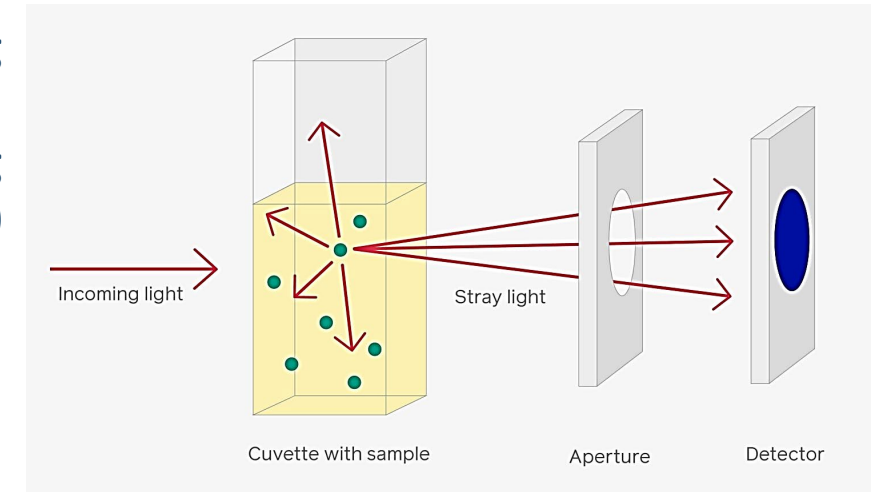
Scattering, or more generally turbid, media:

- suspensions: PM (particulate matter) polluted air, microbiologically polluted water, aerosols, etc.
- bacterial cultures
- biological tissues
- etc.

Transmission/scattering for bacterial culture density monitoring (example of OD600 measurement)

Relevant fields:

- Environmental monitoring: air and water quality
- free-space communication by optical means
- biomedical diagnostics
- etc.



[<https://byonoy.com/>]

Our approach:

monitoring entangled state
change due to scattering of one
of the partner photons

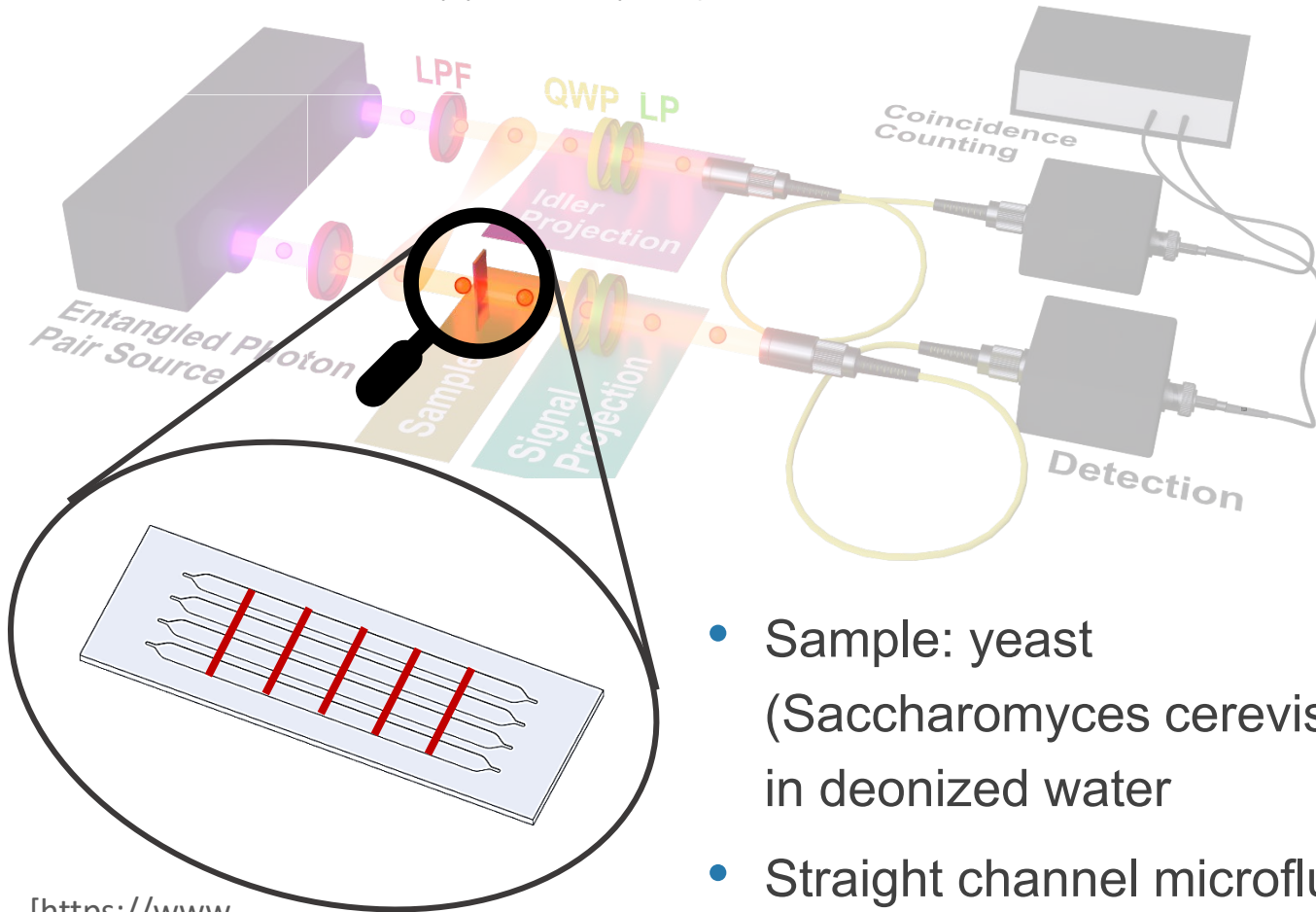
[VB, et al., arXiv:2411.06134 (2024).

L. Zhang, VB, et al., J. Biophoton., e202400018 (2024).

VB, et al., Proc. SPIE 12993, 129930A (2024).]

Detection of yeast cells in diluted solutions

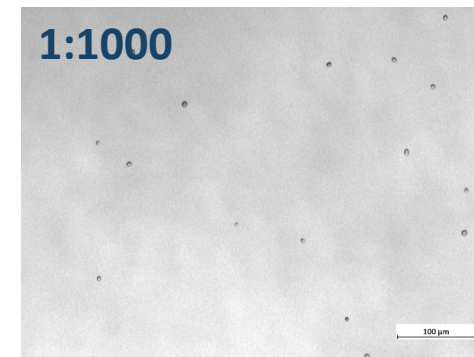
[VB, et al., APL Photonics 9 (4), 041301 (2024).]



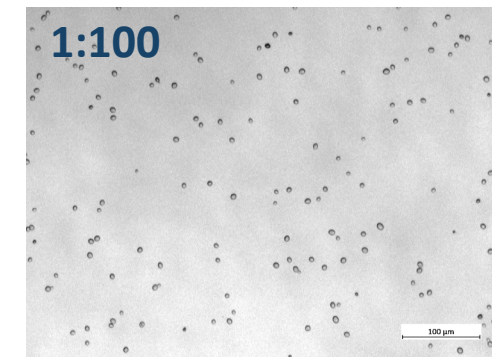
[<https://www.microfluidic-chipshop.com>]

- Sample: yeast (*Saccharomyces cerevisiae*) in deionized water
- Straight channel microfluidic glass chip: lid of 250 μm thickness

- 4 channels, each: 3.1 mm wide, 30 μm deep, 58.5 mm long
- Initial solution of 250 mg *S. cerevisiae* in 1 ml H_2O diluted 1:10, 1:100 and 1:1000
- Resultant tested concentrations: 25 mg/ml, 2.5 mg/ml, and 250 $\mu\text{g/ml}$



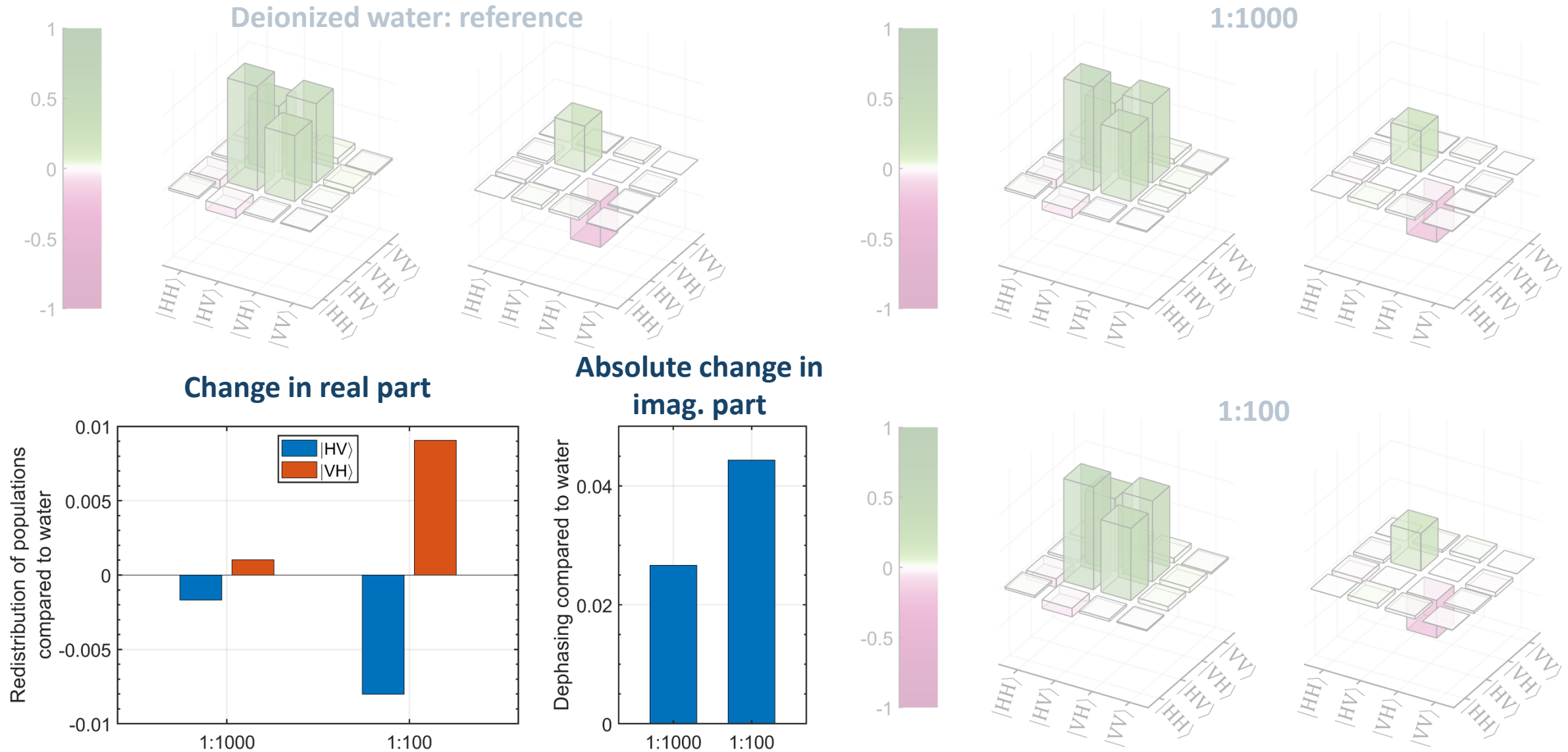
250 $\mu\text{g/ml}$



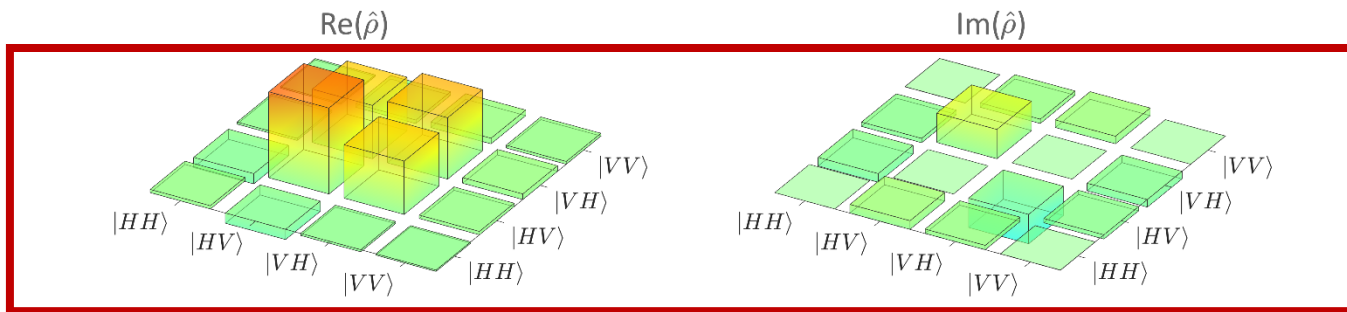
2.5 mg/ml

Representative microscopic images, 10x

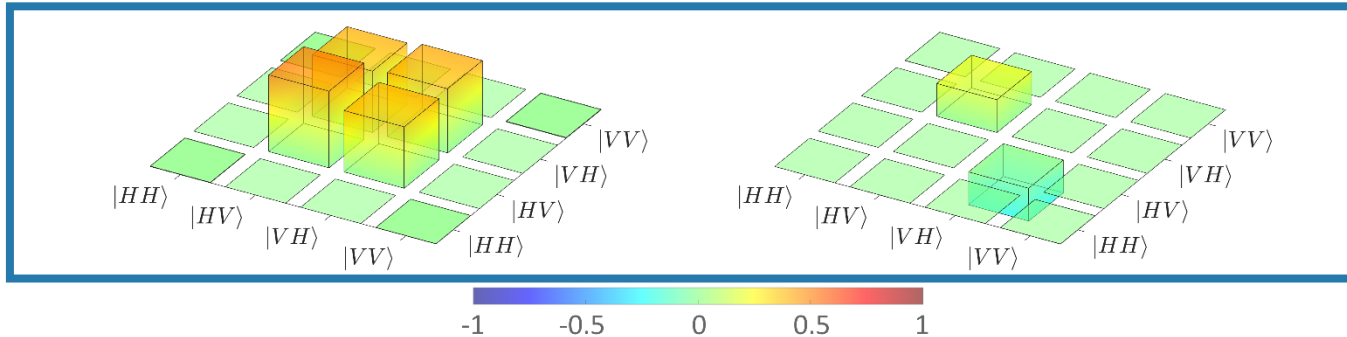
Sensitive to less than 100 cells in the volume



Experiment



Modelling



Representative output for a sample
with 0.1 mm^{-1} absorption coefficient,
 0.65 scattering anisotropy factor,
and 4.55 mm^{-1} scattering coefficient

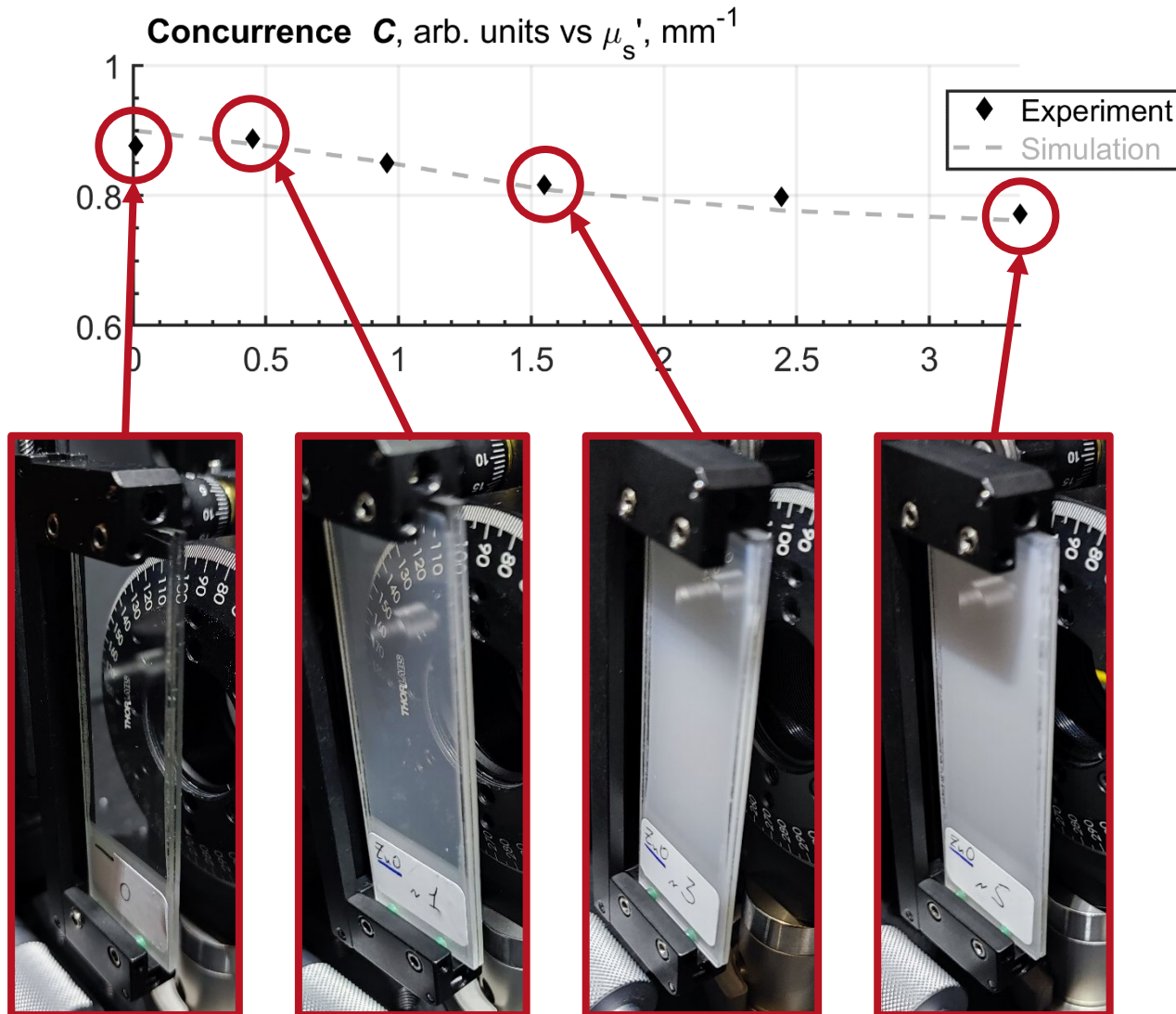
Test samples:

- tissue phantoms of different density of scattering centers (ZnO nanoparticles): thin films between glass microslides
- reference sample: polymer matrix without scattering nanoparticles

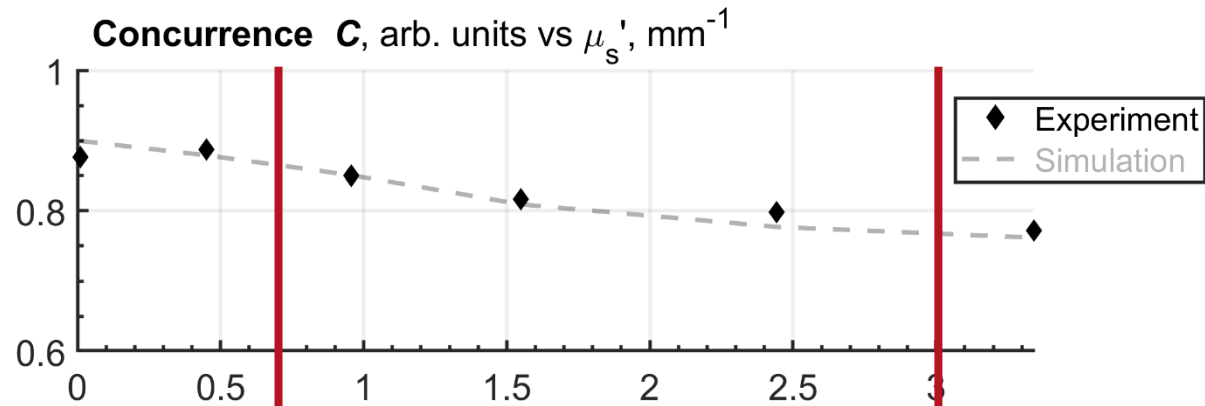
- integral sensing with collimated beam

State evolution:

- signs of dephasing and redistribution of populations of the basis states
- close correlation between modelling and measurement



- Clear dependence on scattering properties of the sample
- Successful measurement till scattering coefficient of approx. 8.00 mm^{-1}
- $\mu'_s = \mu_s(1 - g)$ is the reduced scattering coefficient accounting for scattering anisotropy



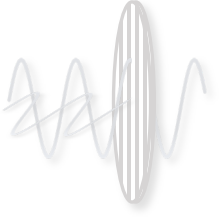
- Clear dependence on scattering properties of the sample
- Successful measurement till scattering coefficient of approx. 8.00 mm^{-1}
- $\mu'_s = \mu_s(1 - g)$ is the reduced scattering coefficient accounting for scattering anisotropy

Different atmospheric conditions



Real biomedical samples

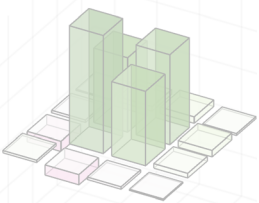




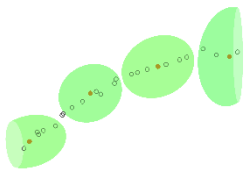
Why sensing with
polarization?



Polarization based probing
with Bell states



Showcase: scattering samples

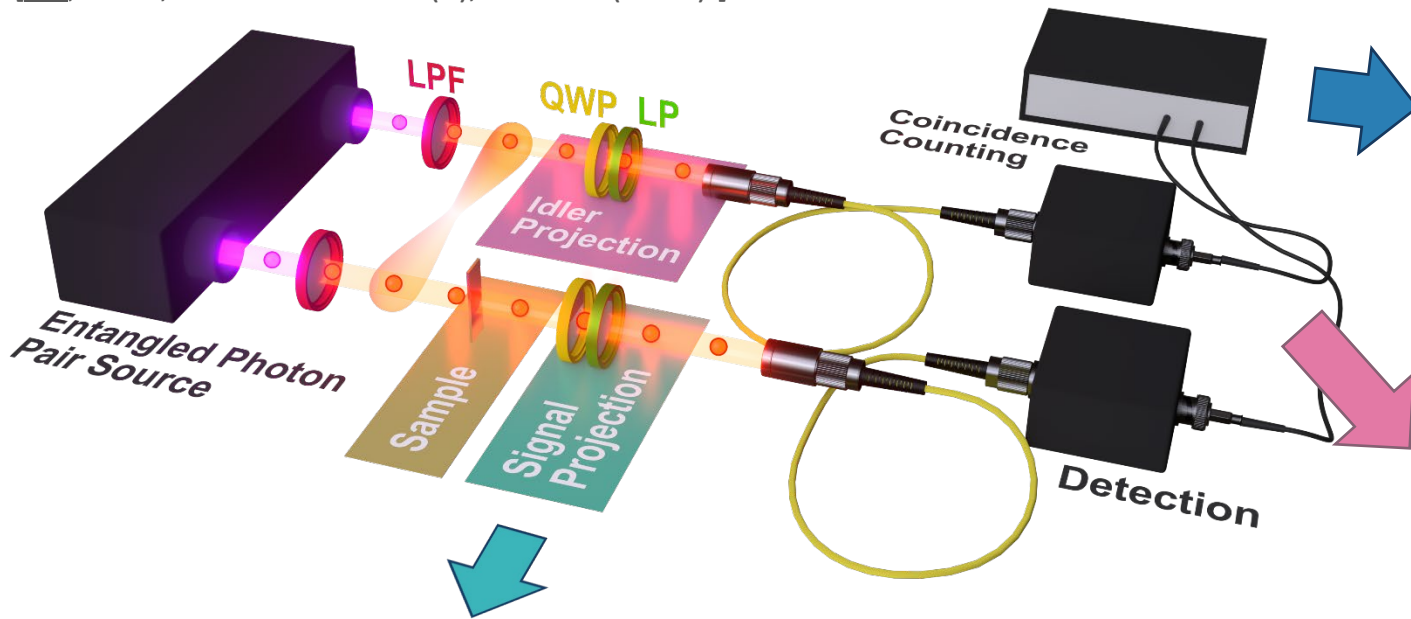


Framework for classification with just
two measurements per sample



Non-local polarization-based sample differentiation

[VB, et al., APL Photonics 9 (4), 041301 (2024).]



- Before being detected, signal photon undergoes polarization transformation:

$$T_s = p^s M_s$$

with sample's Mueller matrix M_s

- The probability for recording a coincidence for the signal and idler pair:

$$P_n = \text{tr} \left[(p_n^i) \frac{\rho_r}{\text{tr}(\rho_r)} (p_n^i)^\dagger \right]$$

- At the moment of signal photon detection, the idler photon becomes:

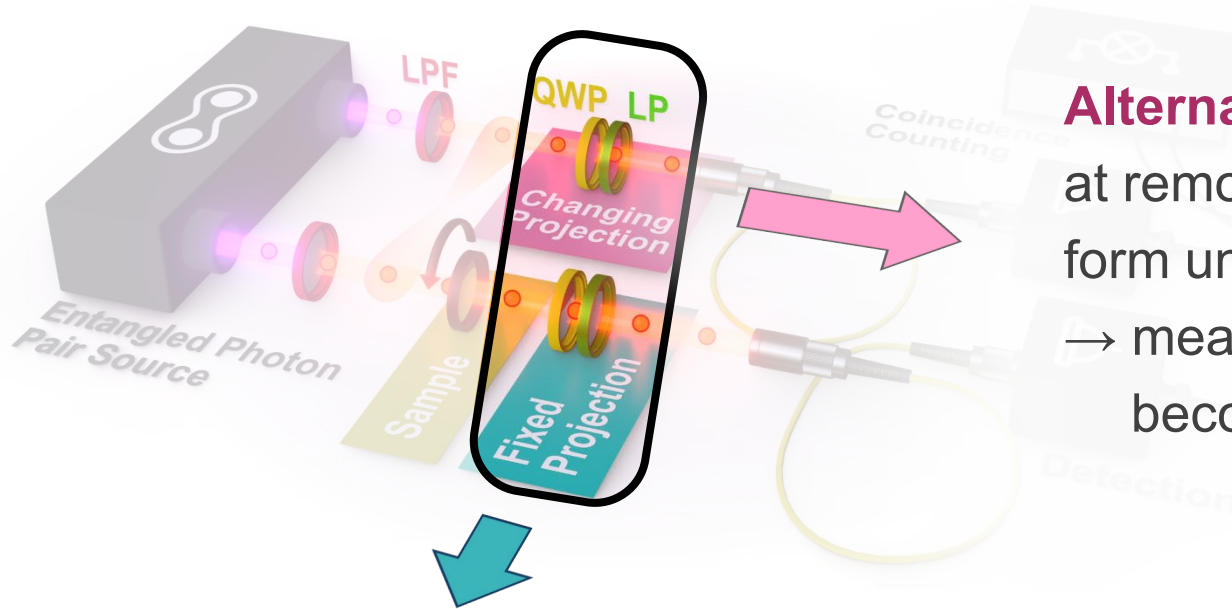
$$\rho_r = \text{tr}_P \left[(T_s \otimes 1) \rho_0 (T_s \otimes 1)^\dagger \right]$$

with initial probing state ρ_0



Single fixed projection for a predefined set of samples

[VB, et al., APL Photonics 9 (4), 041301 (2024).]



Fixed polarization projection ensures that for all samples in the considered set, the reduced state ρ_r **is different**, which is not generally the case



Alternated polarization projections

at remote idler channel allow for that probabilities P_n form unique combinations for every sample
 $\rightarrow$ measured number of coincidences $N_n \propto P_n$
 become relative “coordinates”



Different ρ_r are the **different states on the Poincaré sphere** that are then **projected to different points in the virtual space of coincidences**

Test sample set with slightly different Mueller matrices

[VB, et al., APL Photonics 9 (4), 041301 (2024).]



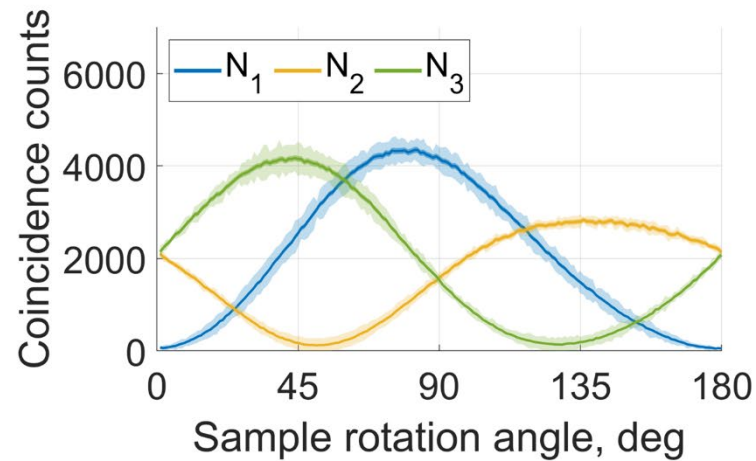
Representative measurement outcome when three projections are applied in the idler arm

- Sample: LP and QWP at different orientations of principal optical axis, 1° step

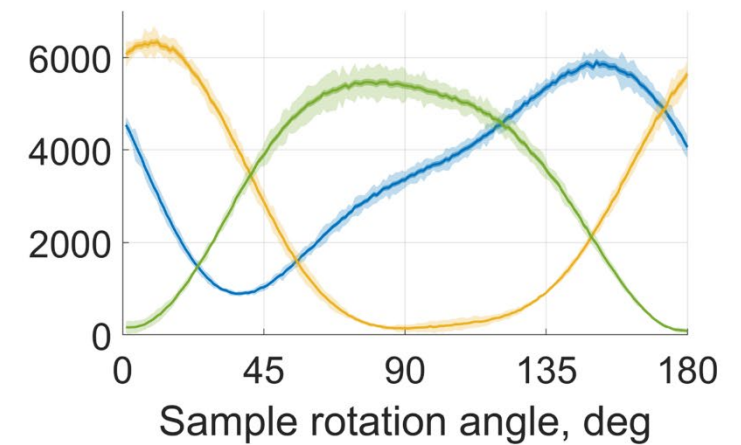
$$M_S = R(\theta)M_{LP,QWP}R(-\theta)$$

with $R(\theta)$ for rotation.

Linear polarizer

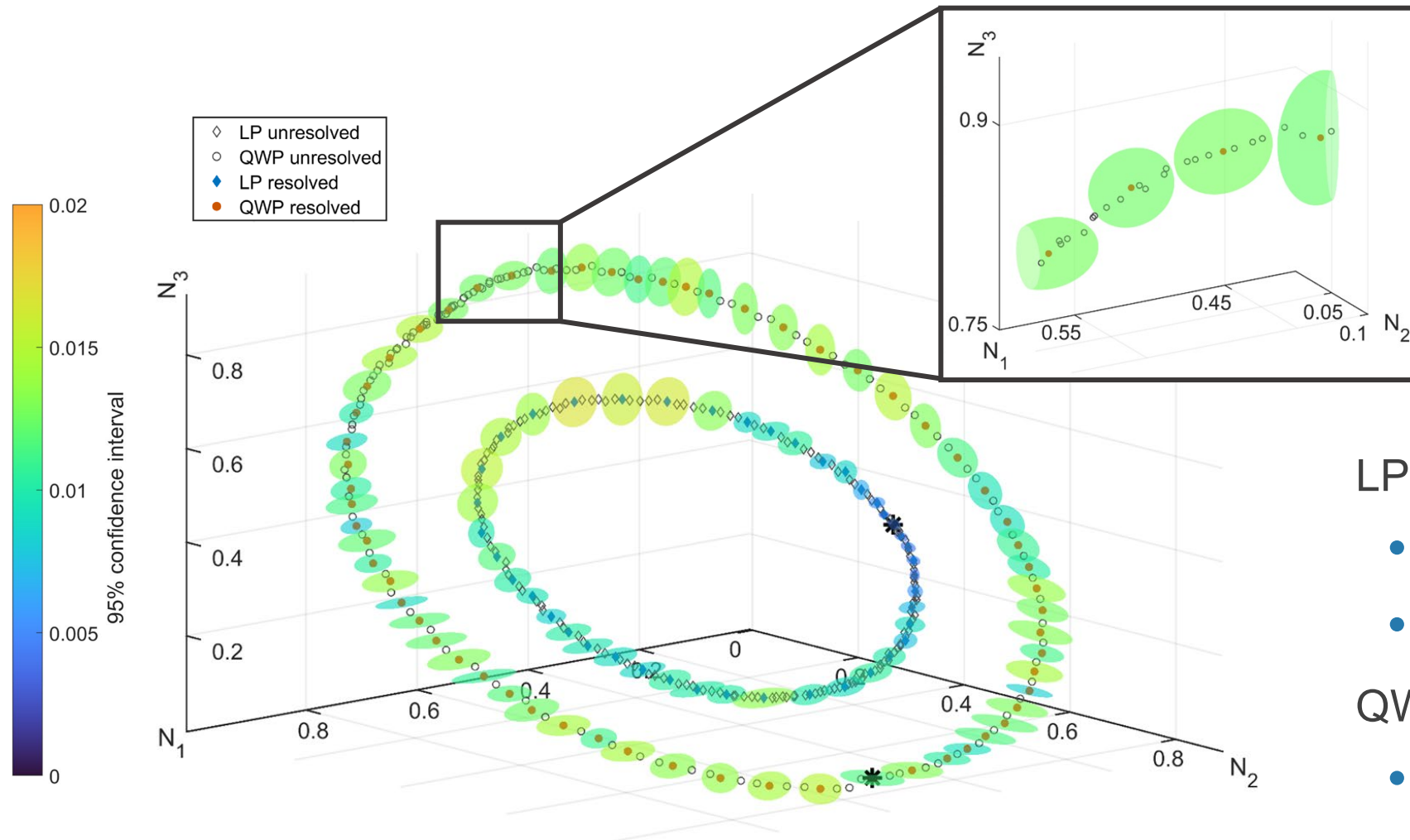


Quarter-wave plate





Proof-of-concept with 3 coincidence measurements



In total 102 samples, with 2° angular resolution for a large range of angles for both LP and QWP

LP subset:

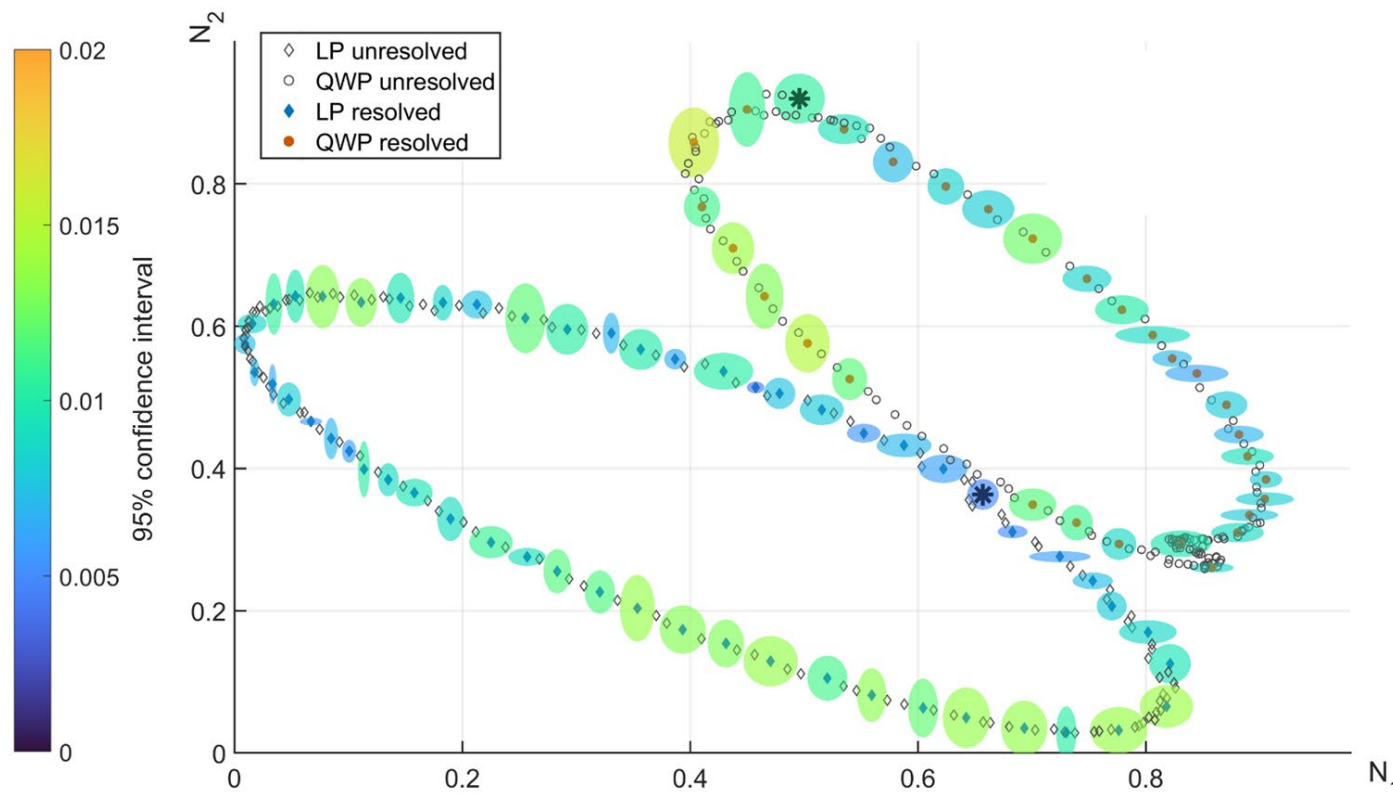
- 42 samples distinguished
- 4° median step, max: 8°

QWP subset:

- 60 samples
- 2° median step, max 9°

Possible also with just two projections

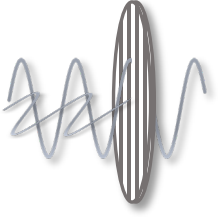
Just two projections in the idler channel:



In total **84** samples with **2°** angular resolution could be successfully distinguished

> than typical sample set size for practical applications

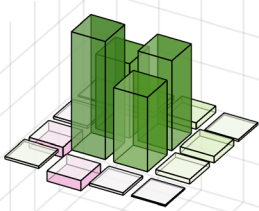
Twice less measurements than needed for single qubit tomography!



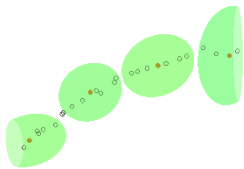
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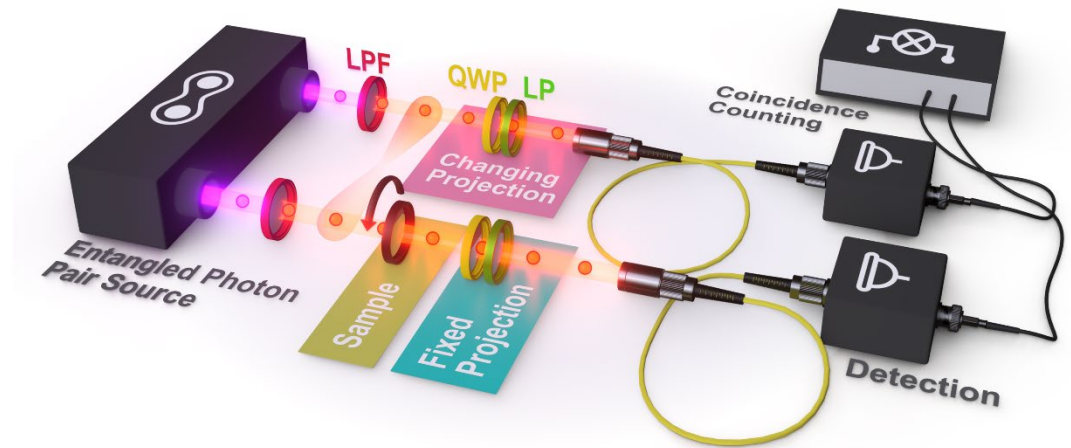
Showcase: scattering samples



**Framework for classification with just
two measurements per sample**

- Demonstration of applicability of polarization-entangled photons for **practical sensing**:
tissue phantoms, microorganisms in water @ less than 100 cells in the measured volume, **cell cultures**
- Experimental demonstration of nonlocal **differentiation** between polarization objects with just **two** polarization projections in the remote optical channel:
more than 80 samples with subtle differences in polarization response (2° step in orientation of optical axis) → framework for classification
- **Potential for biomedical diagnostics, remote sensing, and other classification/detection tasks**

[VB, et al., APL Photonics 9 (4), 041301 (2024)]



Contact me @



Visit our group

Acknowledgements

Colleagues and collaborators (also beyond the presented results)

@ Nano & Quantum Optics group

Prof. Dr. Thomas Pertsch
Dr. Frank Setzpfandt
Luosha Zhang

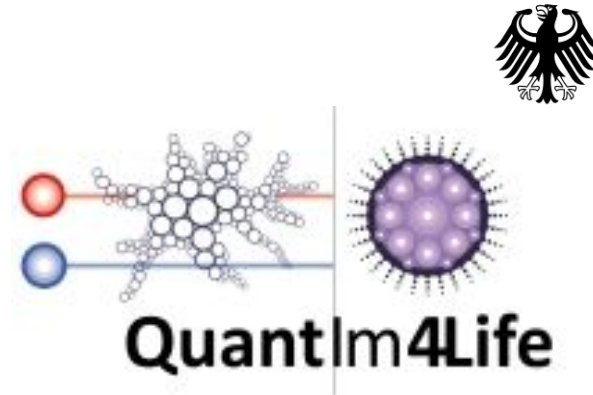
@ FSU Jena

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Dr. Thomas Siefke
Prof. Dr. Stefan Heinemann
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Thank you for your attention!